Intro:

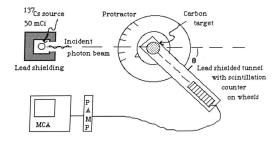
This week we connect the mathematics of wave phasor addition to the sum of quantum amplitudes - it's essentially the same math! We'll also explore single photon interferometry. In the lab we'll devise an experiment to determine whether polarization is source-dependent.

Reading: ("T" stands for Townsend's text)

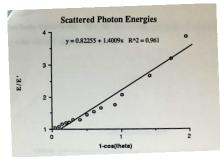
- T: Chapter 1 Section 3 We discussed light as a photon on Wednesday and Friday last week
- T: Chapter 1 Section 4 This is the big development for the week. Likely this will be in Wednesday's class
- T: by the end of the week we'll be done with Chapter 1
- Looking ahead Chapter 2 sections 1 and 2 with more interferometry (for matter). The discussion of Schrödinger's equation starts in section 3, which we'll probably get to late in the week.

Problems: Due Friday, September 12 at the beginning of class

- (1) In figure 1.31 (b) Townsend shows the geometry of phasors for infinitely narrow double slits. Let's modify the calculation to account for single slit diffraction:
 - (a) Carefully redraw the diagram adding the phasors and geometry for finite width single slits as we did in class. Assume both slits have the same width.
 - (b) Using Townsend's phasor notation using complex numbers write down the addition of the Huygens' source phasors to obtain an expression for the phasor z_s for one single slit. Hint: This is one equation with a sum over N terms. Feel free to use ... in your equation.
 - (c) **Optional (0.1 pt)** Find the magnitude squared of the phasor $z_P^*z_P$, which is proportional to the intensity we found in class. (Townsend has an analogous treatment for multiple slits in problem 1.38.)
- (2) 1.28 Double slit calculations
- (3) 1.9 Photoelectric effect
- (4) 1.10 Finding h using Millikan's data
- (5) Long ago I helped run a Compton scattering experiment using a cesium source and carbon target. Here's the schematic of the experiment



Photons with energy $E_{\gamma}=0.66165$ MeV scattered off the target, loosing energy due to the recoil of the electrons. Here's data from that experiment (like what I mentioned in class on Friday September 5)



(a) Using the Compton formula in equation (1.28) show that the ratio of energies can be written as

$$\frac{E_{\gamma}}{E_{\gamma'}} = 1 + \frac{E_{\gamma}}{m_e c^2} \left(1 - \cos \theta \right)$$

- (b) Using the fit to the data, find the experimental and theoretical $(\lambda_C = h/m_e c)$ Compton wavelengths of an electron.
- (c) Based on your calculations and the data in the plot discuss the level of agreement between the theoretical and experimental wavelengths.
- (6) 1.17 Radiation safety. Add this part (b) Explain the situation for the photons used in the Compton experiment in problem 5. Were they dangerous?
- (7) 1.22 Rotating phasors
- (8) (2 pts.) 1.24 Phasors in thin films
- (9) 1.45 On quantum and classical probabilities